

# Scan – A Bayesian Model of Diachronic Meaning Change

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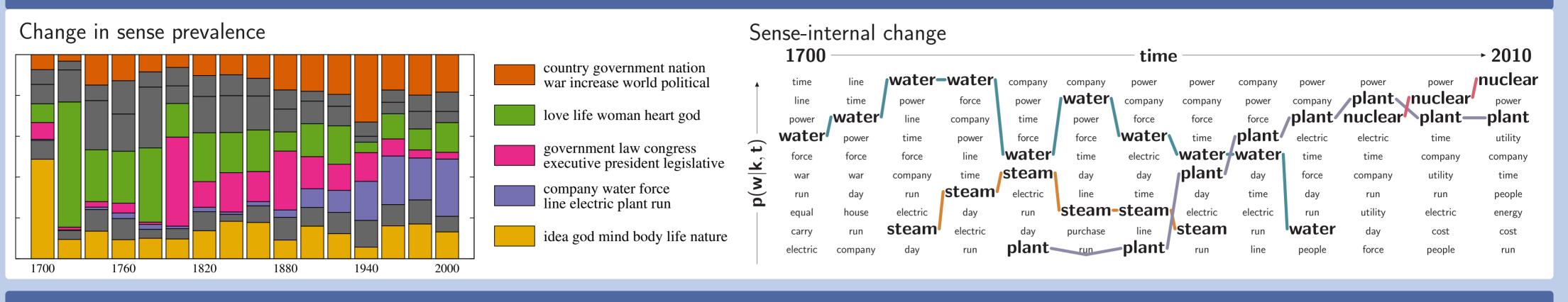
## 1. Motivation

Meaning is constantly shaped by language users and their environment:

across 
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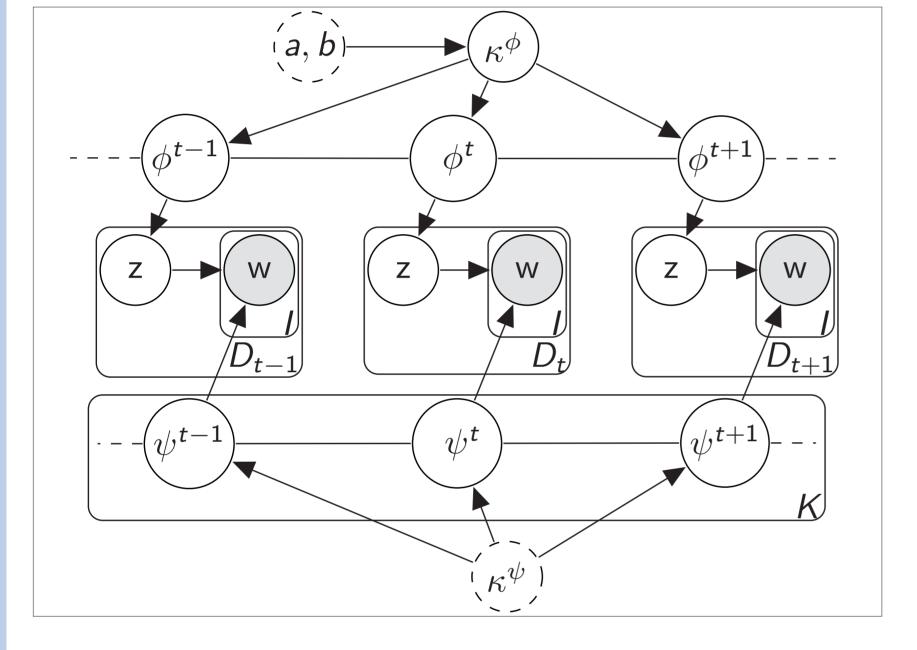
- Large scale historical corpora are useful for socio-linguistic research Modeling sense change is useful for QA and IR
- ► We model meaning change as a smooth process
- ► In contrast to previous work, we
  - (a) model meaning change at **sense** level
  - (b) explicitly capture the gradual nature of language change
  - (c) infer meaning representations and detect changes with one coherent model

#### 2. Intuition: Temporal Dynamics of Word Meaning (example 'power')



**3a. Model Description** 

Input



- ▶ Target word *c* and corpus of time-tagged documents  $[w_{-5} \dots w_{-1} \ c \ w_{+1} \dots w_{+5}]$ 
  - Assumption: local context predicts word sense

#### Modeling

- Fine  $t \in [1..7]$  discrete contiguous intervals of fixed size  $\Delta t$
- Meaning  $k \in [1..K]$  senses (distributions over context words w)

### **Data Distributions**

- Multinomial {time, sense}-specific word distributions  $\{\psi\}^{K \times T} \qquad p(w|k, t)$
- Multinomial time-specific sense distributions  $\{\phi\}^T$

### **Prior Distributions**

- Logistic normal priors on the parameters  $\phi$  and each  $\psi^k$ 

$$oldsymbol{eta} \sim \mathcal{N}(oldsymbol{\mu}, \Sigma) \qquad \phi_k = exp(eta_k) / \sum_{lpha} exp(eta_{k'})$$

• Gamma prior on precision parameter  $\kappa^{\phi}$  (flexibility of sense prevalence)

# **3b. iGMRF priors (Rue and Held, 2005)**

- Multivrt Normal distribution  $\mathcal{N}(m{eta}; m{\mu}, \mathcal{Q}^{-1}) \mid\mid \mathcal{G}$ : undir graphichal model over  $m{eta}$
- Q is tridiagonal (and not full rank) || 1st oder random walk on the line
- (i) assume independent *local increments* (ii) the value of r.v. x<sub>i</sub> is centered around the mean of its neighbors (full cond.)

(*i*) 
$$\Delta \beta^{i} \sim \mathcal{N}(0, \kappa^{-1})$$
 (*ii*)  $\beta^{i} | \boldsymbol{\beta}^{-i} \sim \mathcal{N}\left(\frac{1}{2}(\beta^{i-1} + \beta^{i+1}), \frac{1}{2\kappa}\right)$ 

- $\blacktriangleright$  Level of allowed flexibility controlled through precision parameter  $\kappa$
- $\blacktriangleright$  Invariant to global trend / addition of constant

### 4a. Experiment 1: Word Meaning Change (Gulordava and Baroni, 2011)

# **3c.** Inference: Blocked Gibbs Sampling (Mimno et al, 2008)

1 Resample sense-assignments (given logistic normal parameters)

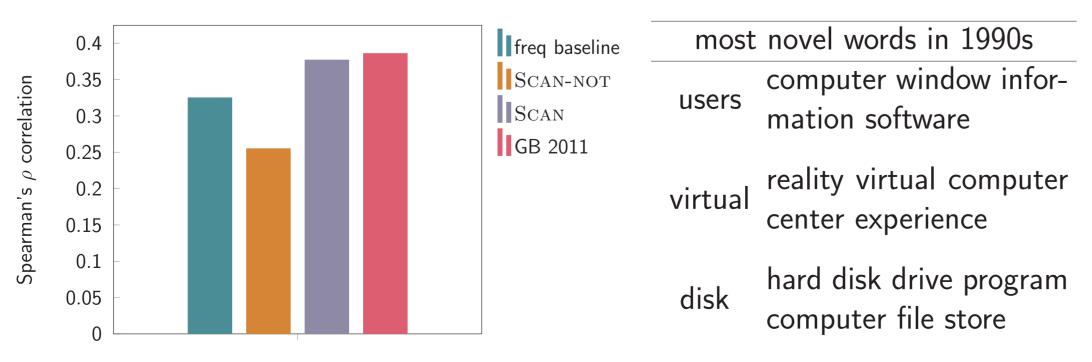
$$p(k^{d} = i | \mathbf{w}^{d}, t^{d}, \phi, \psi) \propto \phi_{t^{d}}^{i} \prod_{w \in \mathbf{w}^{d}} \psi_{w}^{i, t^{d}}$$

- 2 Resample logistic-normal parameters (given sense-assignments)
- Auxiliary variable sampler
- Shift parameter in weighted and bounded region
  - ightarrow bounds given by # assignments of parameter to data (likelihood)
  - $\rightarrow$  weights and variance (precision  $\kappa)$  through iGMRF prior
- **3 Resample sense prevalence flexibility**  $\kappa^{\phi}$  (from Gamma prior)

**Task** Rank words by perceived novelty (1990s vs 1960s)

**Data** 100 target words (+human ranking) ; training documents (1960s – 1990s)

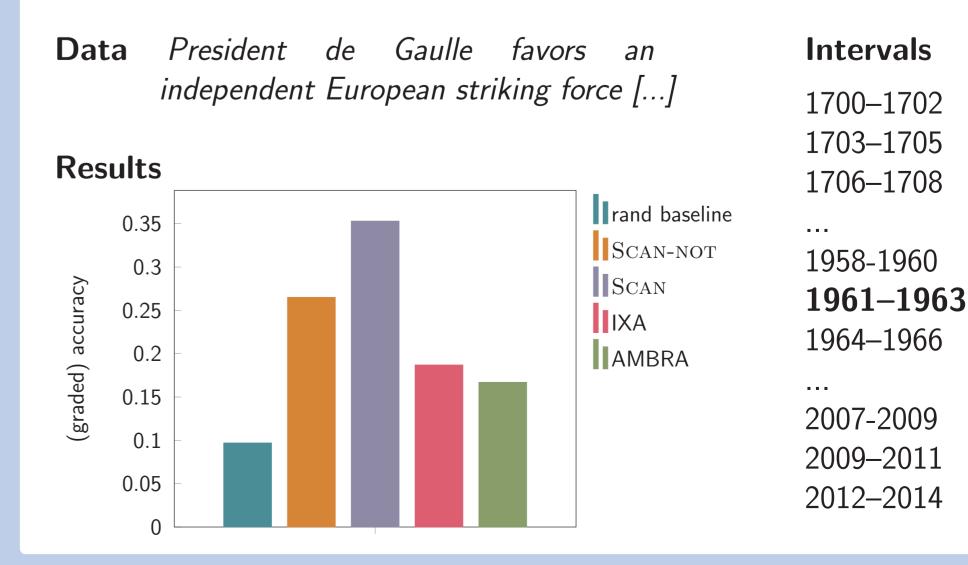
#### Results



 $\begin{array}{l} \mbox{SCAN-NOT} \rightarrow \mbox{SCAN} \mbox{ model without temporal dependencies (iGMRF)} \\ \mbox{learns independent representation for each time interval } t \\ \mbox{School of} \end{array}$ 

4b. Experiment 2: Temporal Text Classification (Semeval 2015)

Task Classify a snippet of news text wrt its year of origin



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